## Taking a Closer Look!

Name **ANSWERS** 

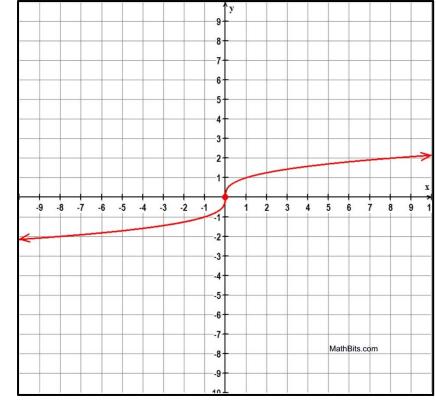
Directions: Give answers about the graph in interval notation when possible.



Graph:

$$y = \sqrt[3]{x}$$

- 1. Is it a function? Yes -passes vertical line test
- 2. Domain:  $(-\infty, \infty)$
- 3. Range:  $(-\infty, \infty)$
- 4. *x*-intercept(s): x = 0 at (0,0)
- 5. y-intercept(s): y = 0 at (0,0)
- 6. Symmetry: symmetric in origin (odd function)
- 7. Where is the graph increasing? everywhere entire domain
- 8. Where is the graph decreasing? never decreases
- 9. Where is y < 0?  $(-\infty, 0)$
- 10. Where is y > 0?  $(0, \infty)$
- 11. Where is y = 0? Point: (0,0)
- 12. Find *y* when x = 8. y = 2



- 13. For what *x*-value(s) is y = 27? x = 3
- 14. Maximum value of graph: no max. (absolute maximum) approaches ∞
- 15. Minimum value of graph: no min. (absolute minimum) approaches ∞
- 16. Asymptotes: (state equation(s)) none

Assuming y = f(x),

17. As 
$$x \to +\infty$$
,  $f(x) \to \underline{\infty}$ 

18. As  $x \to -\infty$ ,  $f(x) \to \underline{-\infty}$ 

19. Name given to this graph: cube root function